
Digital Communications 1

Fundamentals and Techniques

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Color Section

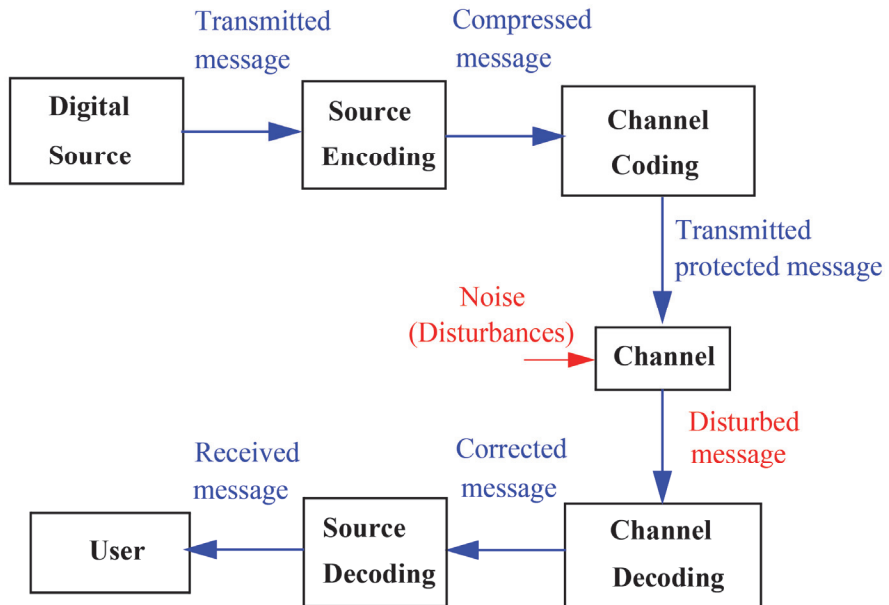


Figure 11.1. General structure of a digital communications system and its problems



Figure 1.1. Simple communication system

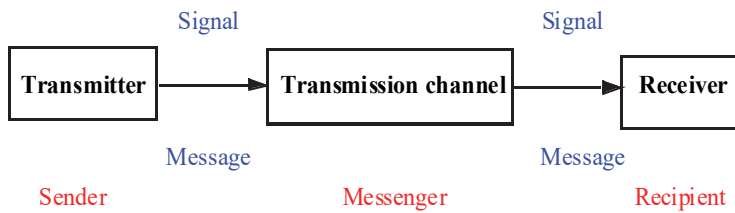


Figure 1.4. *Principle of communication*

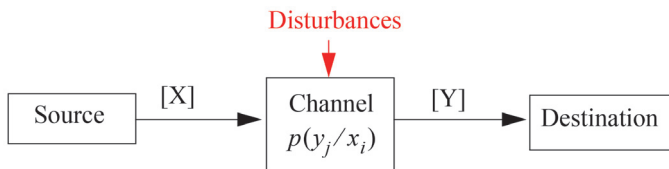


Figure 2.2. *Basic transmission system based on a discrete channel.*

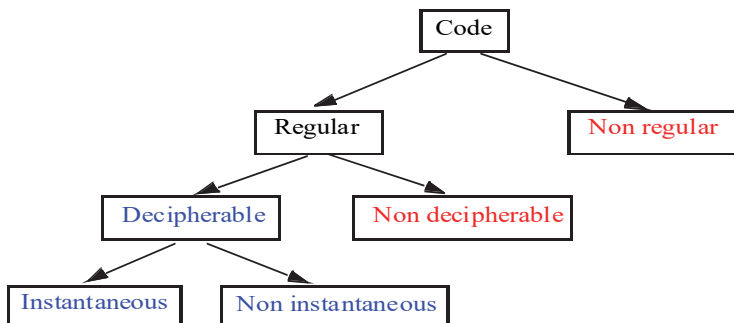


Figure 3.1. *Classification of codes*

Let:

$$u(x) = i(x) \times g(x)$$

$$u(x) = [x^3 + x^2 + x] \times [x^3 + x + 1] = x^6 + x^5 + x$$

$$[1 \ 1 \ 1 \ 0] \times [1 \ 0 \ 1 \ 1] = [1 \ 1 \ 0 \ 0 \ 0 \ 1 \ 0]$$

Let us make the discrete convolution product degree by degree according to:

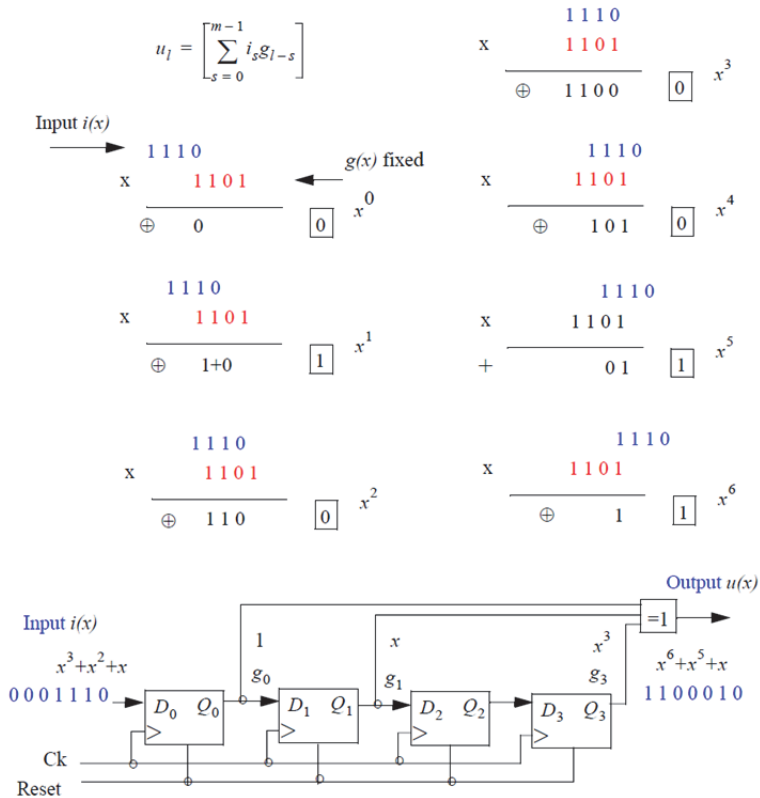
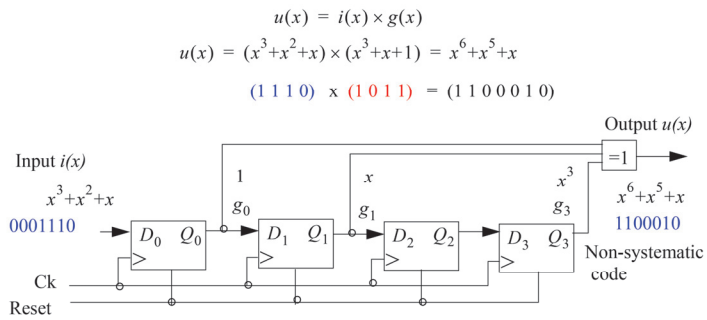


Figure 4.21. Coding by multiplication



Ck	$i(x)$	D_0	Q_0	D_1	Q_1	D_2	Q_2	D_3	Q_3	u
	$0\ x^0$	0	0	0	0	0	0	0	0	
1			0		0		0		0	
	$1\ x^1$	1		0		0		0		1
2			1		0		0		0	
	$1\ x^2$	1		1		0		0		0
3			1		1		0		0	
	$1\ x^3$	1		1		1		0		0
4			1		1		1		0	
	$0\ x^4$	0		1		1		1		0
5			0		1		1		1	
	$0\ x^5$	0		0		1		1		1
6			0		0		1		1	
	$0\ x^6$	0		0		0		1		
7			0		0		0		1	
Reset			0		0		0		0	u_{n-1}

Figure 4.22. State of the register at each clock cycle.

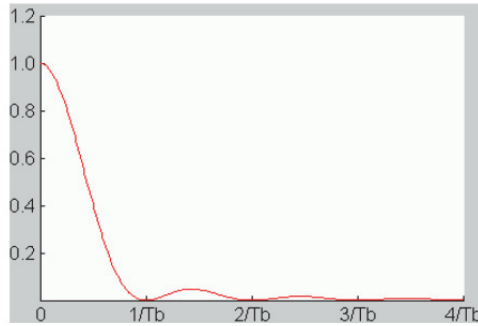


Figure 5.4. *Power spectral density of the symmetrical NRZ-L on-line code*

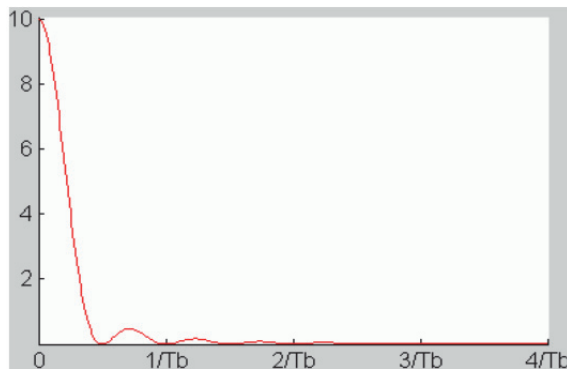


Figure 5.8. *Power spectral density of the symmetrical NRZ 4-ary code*

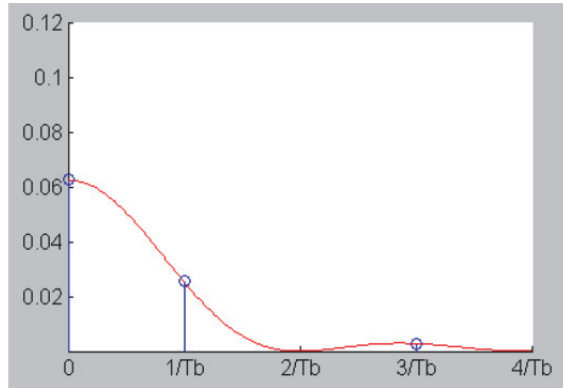


Figure 5.11. Power spectral density of the binary RZ on-line code (for $\theta = 1/2$).

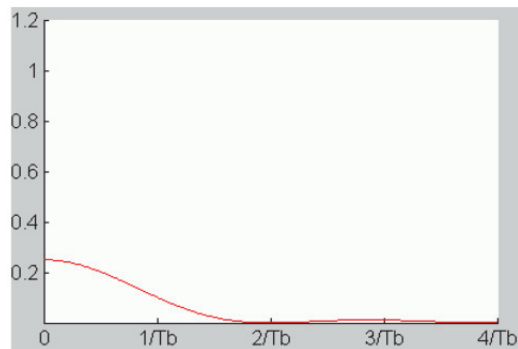


Figure 5.14. Power spectral density of the polar RZ code (for $\theta = 1/2$).

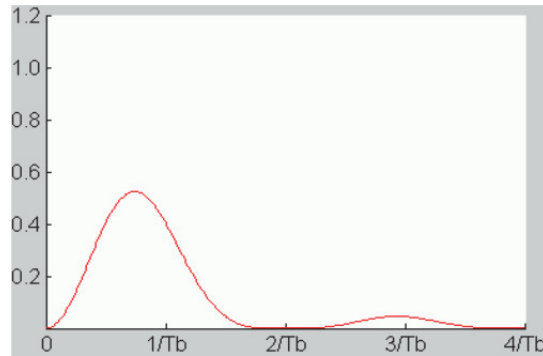


Figure 5.17. *Power spectral density of a biphas code (Manchester code)*

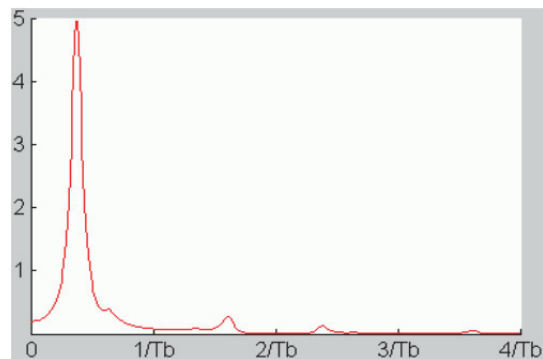


Figure 5.22. *Power spectral density of the Miller on-line code*

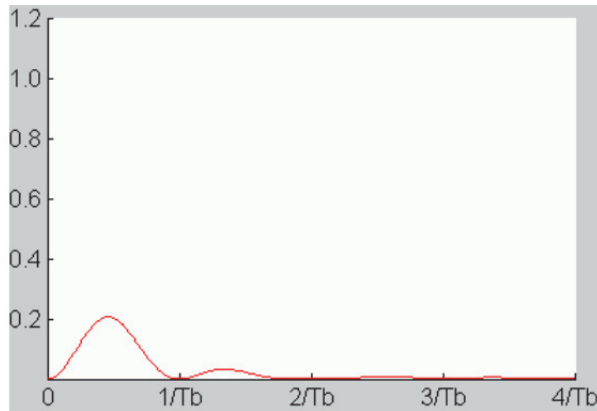


Figure 5.25. Power spectral density of the bipolar RZ code (or AMI)

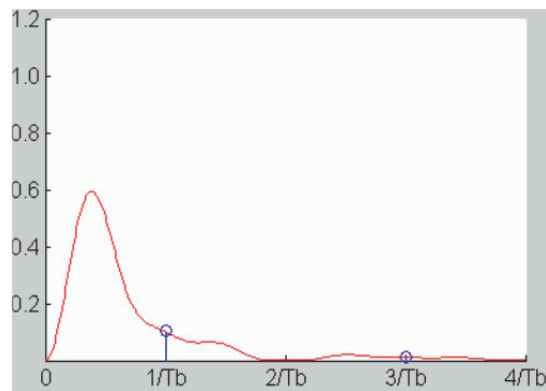


Figure 5.27. Power spectral density of the CMI on-line code

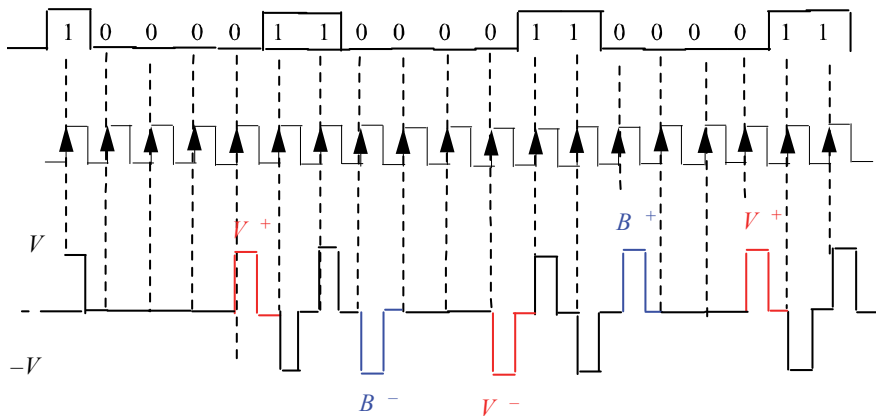


Figure 5.28. Example of a chronogram of the HDB-3 code

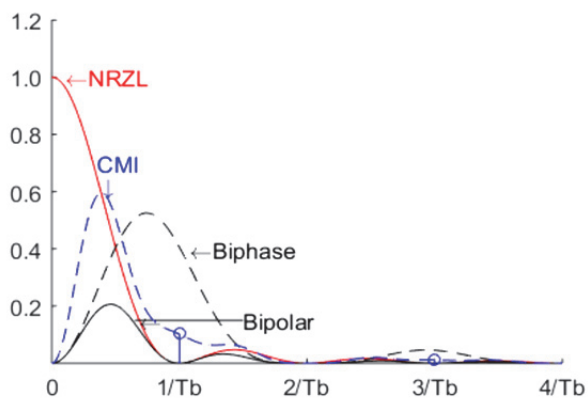


Figure 5.30. Power spectral density of the main on-line codes presented

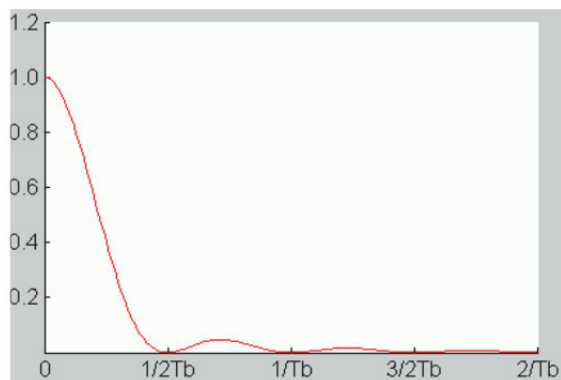


Figure 5.41. Power spectral density of duobinary on-line code

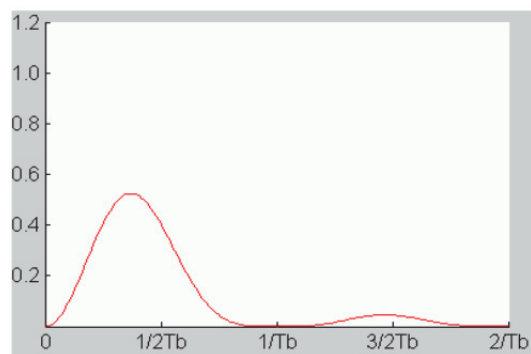


Figure 5.45. Power spectral density of the NRZ bipolar on-line code.

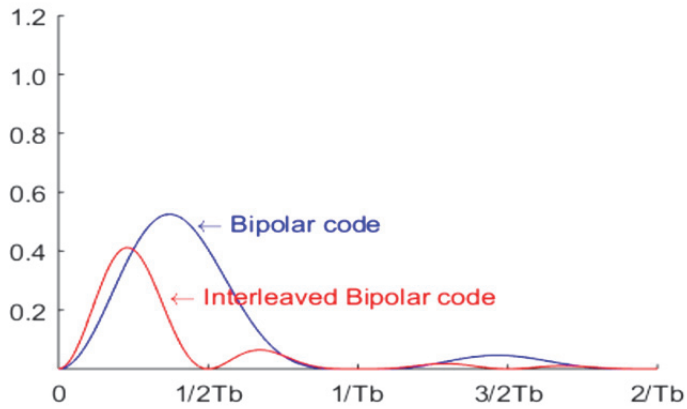


Figure 5.51. Power spectral density of the 2nd order interleaved bipolar codes and the simple bipolar code

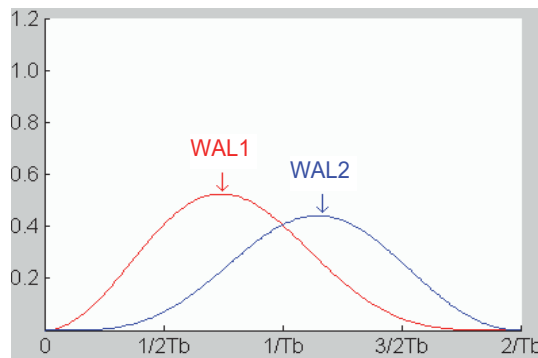


Figure 5.53. Power spectral densities of the two-phase codes WAL1 and WAL2

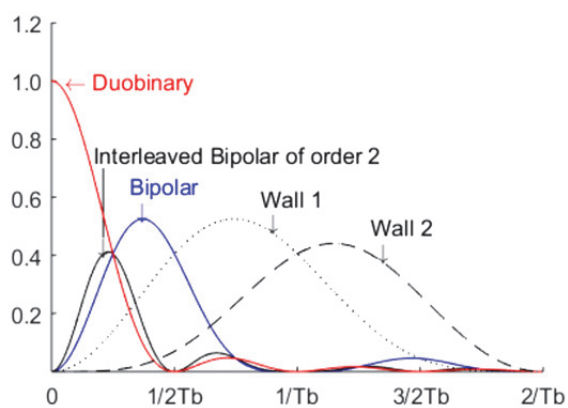


Figure 5.54. Power spectral density of on-line codes presented

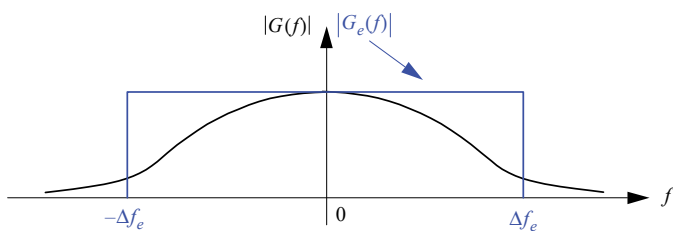


Figure 6.2. Equivalent energy bandwidth Δf_e of a low-pass filter

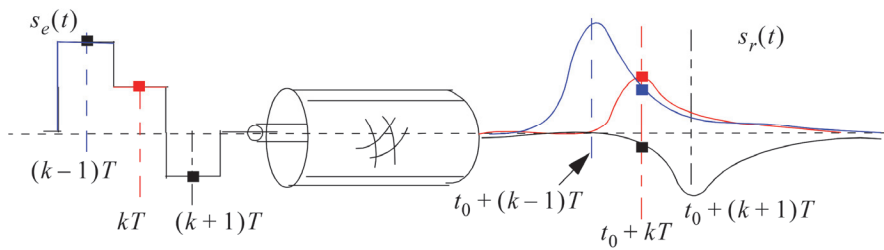


Figure 6.3. Illustration of the intersymbol interference phenomenon

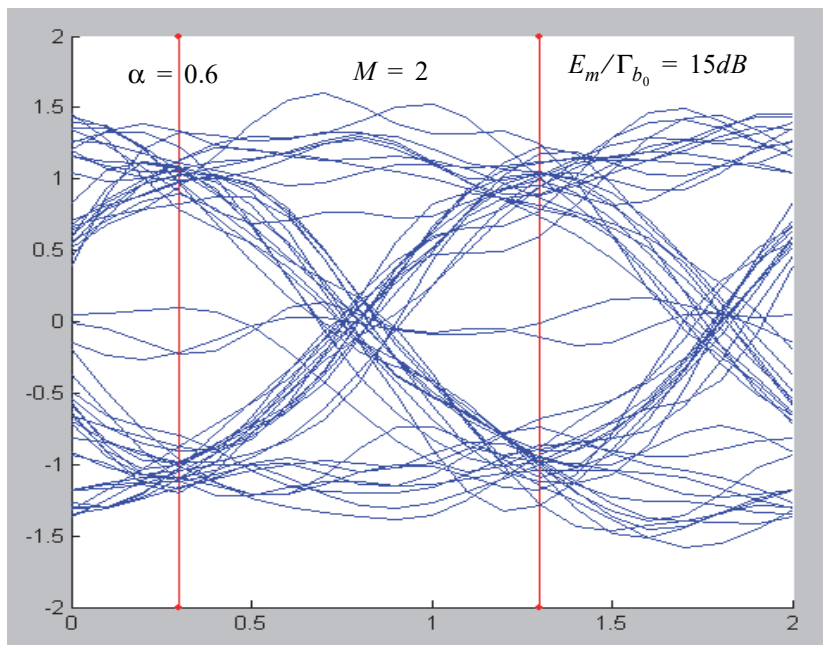


Figure 6.5(a). Examples of an eye pattern

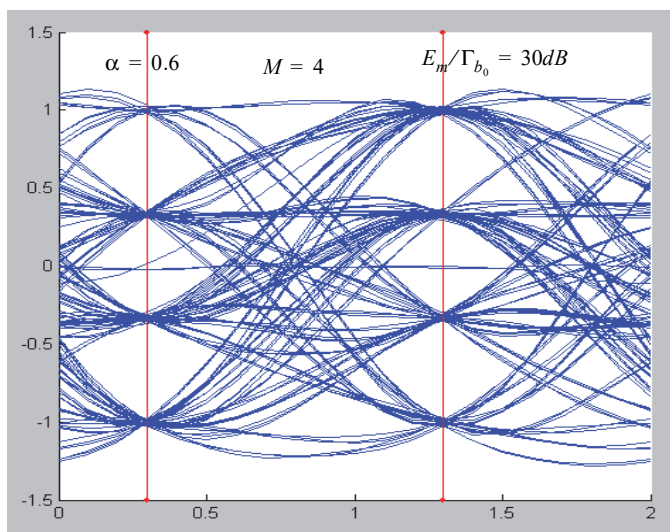


Figure 6.5(b). Examples of an eye pattern (following)

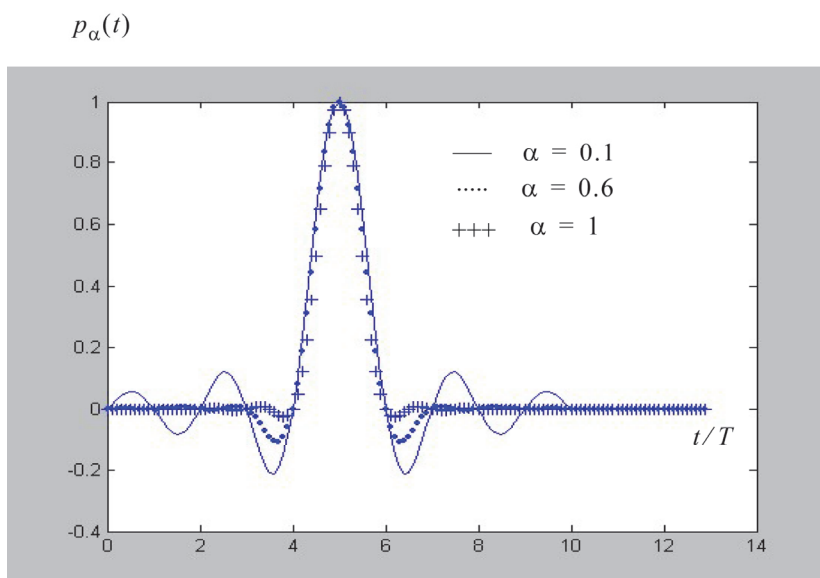


Figure 6.13. Impulse response for different values of the parameter α

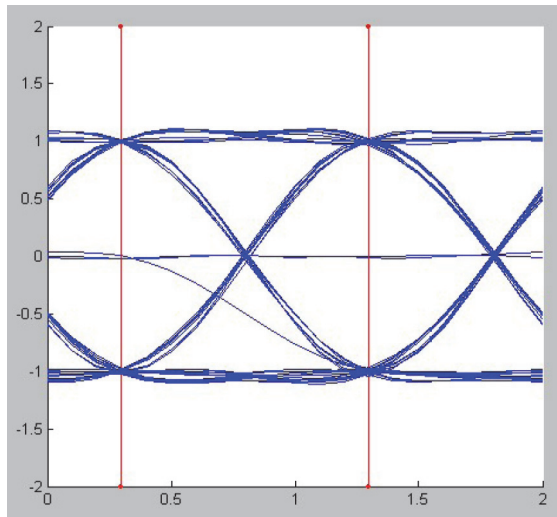


Figure 6.15. *Eye pattern (without noise), for $\alpha = 1; T = 1$ s*

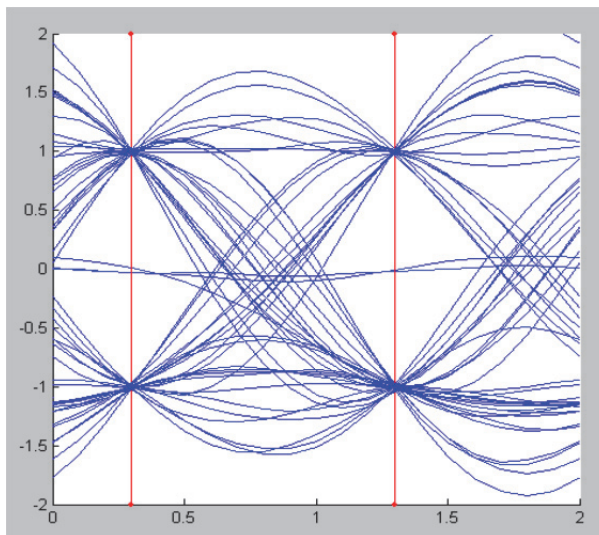


Figure 6.16. *Eye pattern (without noise), for $\alpha = 0.1; T = 1$ s*

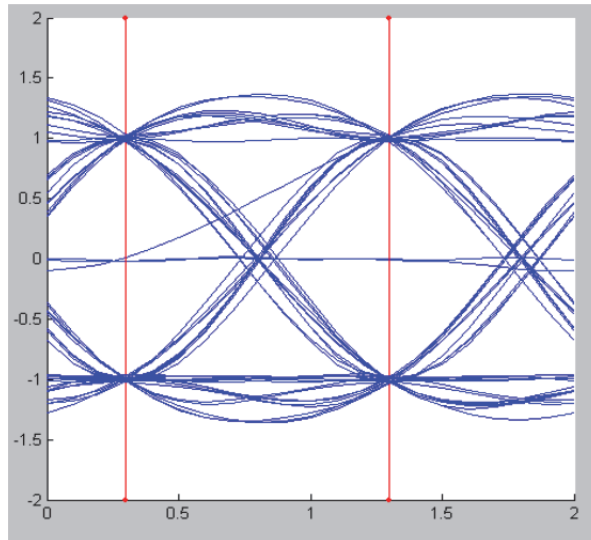


Figure 6.17. Eye pattern (without noise), for $\alpha = 0.6$; $T = 1$ s

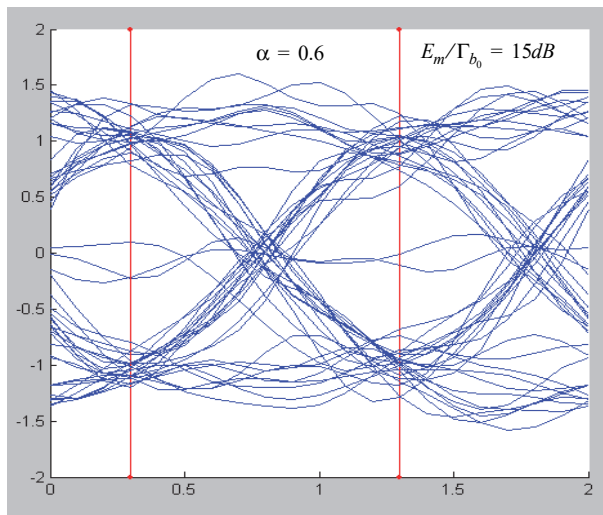


Figure 6.18. Eye pattern (with noise), for $\alpha = 0.6$; $E_m/\Gamma_{b_0} = 15$ dB; $T = 1$ s

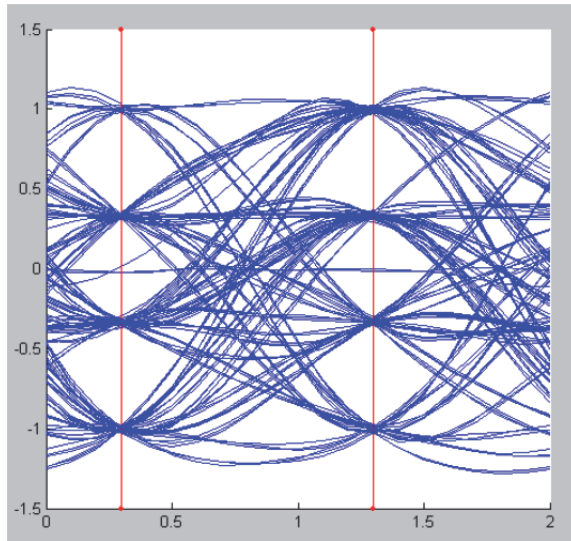


Figure 6.19. Eye pattern 4-ary (without noise), for $\alpha = 0.6$; $T = 1$ s

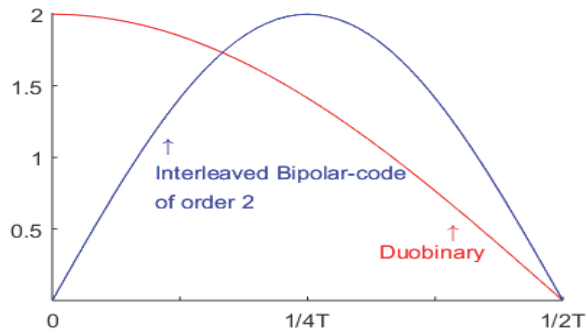


Figure 6.22. Modulus normalized with respect to $T \times p(t_0)$ of the frequency response $|P(f)|$ of codes duobinary and bipolar interleaved of order 2

Coder M-ary to Signal : $T = T_b \log_2 M$ $D = 1/T_b$ $D_s = 1/T$

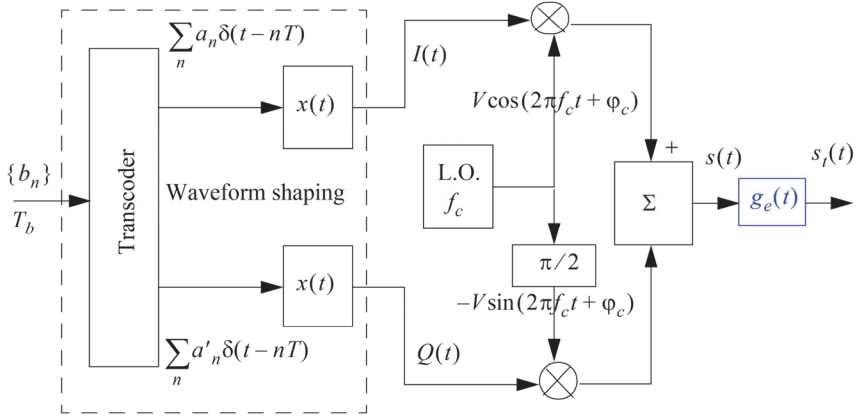


Figure 7.12. General structure of the linear digital modulator

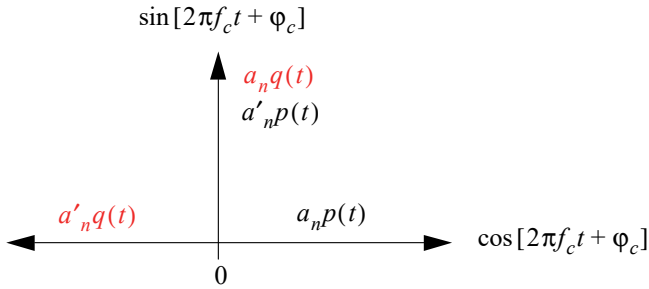


Figure 7.17. Distribution of the signals on the carrier in-phase and on the carrier in-quadrature

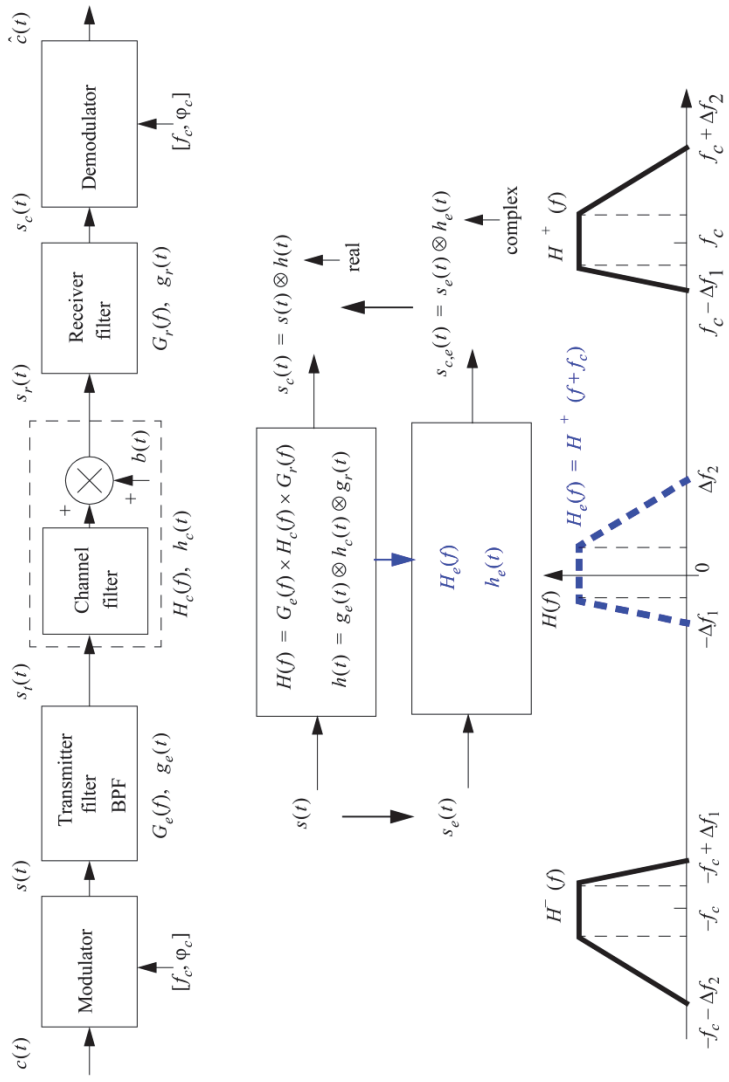
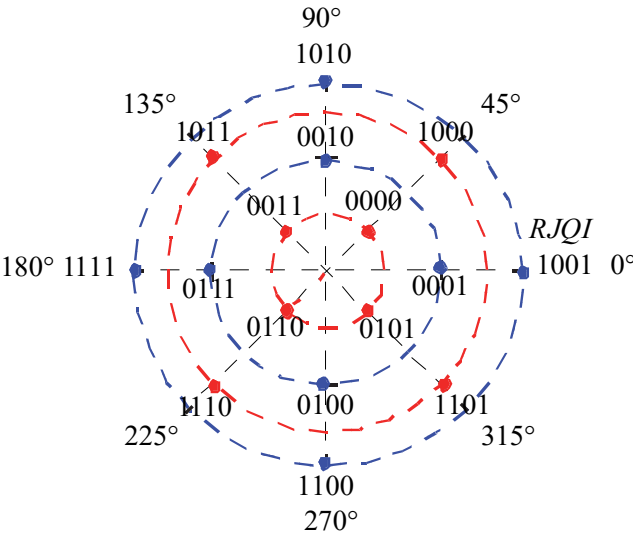


Figure 7.19. Transition from a digital transmission with carrier modulation to an equivalent baseband digital transmission. For a color version of this figure, see www.iste.co.uk/assad/digital1.zip

ψ_n	R	ρ_n
$0^\circ, 90^\circ, 180^\circ, 270^\circ$	0	3
	1	5
$45^\circ, 135^\circ, 225^\circ, 315^\circ$	0	$\sqrt{2}$
	1	$3\sqrt{2}$



JQI	001	000	010	011	111	110	100	101
$\Delta\psi_n$	0°	45°	90°	135°	180°	225°	270°	315°

Figure 7.39. CIR (4, 4, 4, 4) modulation